3 43 mg	LESSON	PLAN FOR WINTER SEMESTER(2023-24)	ing			
Discipline : 3rd semester (Electrical) Name of the Faculty: PADMINI PANIGRAHI (Lect. in Mathematics)						
Subject: Engg. Mathematics-3	4 therory classes pe week	Fram: 01 00 0000	No			
Week	Class Day	Theory	Range			
1st	1st	Complex Numbers 1.1 Real and Imaginary numbers	01.08.2023 TO 05 /08/23			
	2nd	1.2 Complex numbers, conjugate complex numbers, Modulus and Amplitude of a complex number				
	3rd	1.3 Geometrical Representation of Complex Numbers				
2nd	1st	1.4 Properties of Complex Numbers	o7.08.2023 TO 12 /08/23			
	2nd	1.5 Determination of three cube roots of unity and their properties.				
beathan	3rd	1.6 De Moivre's theorem				
LESS HEADER	4th	Matrices Define rank of a matrix.				
3rd	1st	2.2. Perform elementary row transformations to determine the rank of a matrix	14.08.2023 TO 19 /08/23			
	2nd	2.3. State Rouche's theorem for consistency of a system of linear equations in unknowns.				
	3rd	2.4. Solve equations in three unknowns testing consistency.				
	4th	2.4. Solve equations in three unknowns testing consistency.				
Of the mailtean or	a teliupit erif.	Linear Differential Equations	TO 04 100 100			
4th	1st	3.1. Define Homogeneous and Non – Homogeneous Linear Differential Equations with constant coefficients				
	2nd	with examples 3.2. Find general solution of linear Differential Equations in terms of C.F. and P.I.				
	3rd	3.2. Find general solution of linear Differential Equations in terms of C.F. and P.I.				
	4th	3.3. Derive rules for finding C.F. And P.I. in terms of operator D				
5th	1st	3.3. Derive rules for finding C.F. And P.I. in terms of operator D	28/08/2023 TO 02 /09/23			
	2nd	3.3. Derive rules for finding C.F. And P.I. in terms of operator D				
	3rd	3.4 Define partial differential equation (P.D.E.)				
	4th	3.5. Form partial differential equations by eliminating arbitrary constants and arbitrary functions.				

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6th	1st	3.6. Solve partial differential equations of the form Pp + Qq = R	
	2nd	3.6. Solve partial differential equations of the form Pp +	04/09/2023
	ZIIG	Qq = R 4.1.	TO 09 /09/23
	3rd	4. Laplace Transforms Define Gamma function	
		4.2. Define Laplace Transform of a function and Inverse	
	4th	Laplace Transform	
wateril ca ca		4.3. Derive L.T. of standard functions and explain	
nos	1st	existence conditions of L.T.	11/09/2023
		4.3. Derive L.T. of standard functions and explain	
7th	2nd	existence conditions of L.T.	TO 16 /09/23
/111	3rd	4.4. Explain linear, shifting property of L.T	
The code	4th	4.4. Explain linear, shifting property of L.T	
398018	REPORTED AND A	4.5. Formulate L.T. of derivatives, integrals, multiplication	
	1st	by tAn and division by t.	
	2nd	4.5. Formulate L.T. of derivatives, integrals, multiplication	18/09/2023
8th	ZHU	by the and division by t.	TO 23 /09/23
OIII	3rd	4.6. Derive formulae of inverse L.T. and explain method of partial fractions	. 5 25 / 5 / 20
	or a	4.6. Derive formulae of inverse L.T. and explain method	
	4th	of partial fractions with problems	
	No. of the last of	4.6. Derive formulae of inverse L.T. and explain method	
	1st	of partial fractions with problems	
	TO SUMMED TO	4.6. Derive formulae of inverse L.T. and explain method	25/09/2023 TO 30 /09/23
9th	2nd	of partial fractions with problems	
	0 1	5. Fourier Series	
BEAL STREET	3rd	Define periodic functions.	
E GIG DO	4th	5.1. Define periodic functions.	
	1st	5.2. State Dirichlet's condition for the Fourier expansion of	02/10/2023
	131	a function and it's convergence 5.2. State Dirichlet's condition for the Fourier expansion or	
	2nd	a function and it's convergence	
10th		5.2. State Dirichlet's condition for the Fourier expansion o	
10111	3rd	a function and it's convergence	
		5.3. Express periodic function f(x) satisfying Dirichlet's	
	4th	conditions as a Fourier series	
11th	THE RUNG PRICE	5.3. Express periodic function f(x) satisfying Dirichlet's	09/10/2023 TO 14/10/23
	1st	conditions as a Fourier series	
	2nd	5.4. State Euler's formulae	
		5.5. Define Even and Odd functions and find Fourier	
	3rd	Series and find Fourier	
	4th	5.5. Define Even and Odd functions and find Fourier	
	4111	Series	

12th	1st	Obtain F.S of continuous functions and functions having	9
	2nd	Obtain F.S of continuous functions and functions having	
	3rd	6. Numerical Methods Appraise limitation of analytical methods of solution of	
	4th	6.2. Derive Iterative formula for finding the solutions of Algebraic Equations by :	
		6.2.1. Bisection method PUJA VACATION	
	1st	6.2.2. Newton- Raphson method	
	2nd	Bisection method & Newton-Raphson method	30/10/2023 TO 04/11/23
13th	3rd	7. Finite difference and interpolation 7.1. Explain finite difference and form table of forward and backward difference	
	4th	7.2. Define shift Operator and establish relation between & difference operator.	
14th	1st	7.3. Derive Newton's forward and backward interpolation formula for equal intervals.	06/11/2023 TO 11/11/23
	2nd	7.3. Derive Newton's forward and backward	
	3rd	interpolation formula for equal intervals. 7.4. State Lagrange's interpretation formula for unequal	
	4th	intervals. 7.4. State Lagrange's interpretation formula for unequal	
15th	1st	7.5 Explain numerical integration and state:	Territor Stores
	2nd	7.5.1. Newton's Cote's formula. 7.5 Explain numerical integration and state:	13/11/2023 TO 18/11/23
	3rd	7.5.1. Newton's Cote's formula.	
	4th	7.5.2. Trapezoidal rule.	
	1st	7.5.3. Simpson's 1/3rd rule 7.5.2. Trapezoidal rule.	
16th	2nd	7.5.3. Simpson's 1/3rd rule	20/11/2023 TO 25/11/23
10111	3rd		
	4th	revision	
17th	1st	w=. :::	00/11/00/5
	2nd	revision	28/11/23 TO 30/11/23

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SUBJECT
TEACHER

ACADEMIC CO-ORDINATOR

H.O.D (ELECTRICA L BRANCH)

PRINCIPAL 8(23